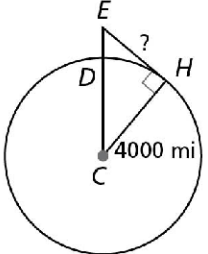


| Question | Answer | Solution |
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| 11. | chords: \overline{RS} , \overline{VW} ; tangent: ℓ ; radii: \overline{PV} , \overline{PW} ; secant: \overleftrightarrow{VW} ; diameter: \overline{VW} | chords: \overline{RS} , \overline{VW} ; tangent: ℓ ; radii: \overline{PV} , \overline{PW} ; secant: \overleftrightarrow{VW} ; diameter: \overline{VW} |
| 12. | chords: \overline{AC} , \overline{DE} ; tangent: \overleftrightarrow{CF} ; radii: \overline{BA} , \overline{BC} ; secant: \overleftrightarrow{DE} ; diameter: \overline{AC} | chords: \overline{AC} , \overline{DE} ; tangent: \overleftrightarrow{CF} ; radii: \overline{BA} , \overline{BC} ; secant: \overleftrightarrow{DE} ; diameter: \overline{AC} |
| 13. | radius of $\odot C$: 2; radius of $\odot D$: 4; pt. of tangency: $(-4, 0)$; eqn. of tangent line: $x = -4$ | radius of $\odot C$: $2 - 0 = 2$ radius of $\odot D$: $4 - 0 = 4$ point of tangency: $(-4, 0)$ equation of tangent line: $x = -4$ |
| 14. | radius of $\odot M$: 1; radius of $\odot N$: 3; pt. of tangency: $(2, 1)$; eqn. of tangent line: $y = 1$ | radius of $\odot M$: $3 - 2 = 1$ radius of $\odot N$: $5 - 2 = 3$ point of tangency: $(2, 1)$ equation of tangent line: $y = 1$ |

| Question | Answer | Solution |
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| 15. | 413 km | <p>1 Understand the Problem The answer will be the length of an imaginary segment from the summit of Olympus Mons to Mars' horizon.</p> <p>2 Make a Plan Let C be the center of Mars, let E be summit of Olympus Mons, and let H be a point on the horizon. Find the length of \overline{EH}, which is tangent to circle C at H. By Thm. 11-1-1, $\overline{EH} \perp \overline{CH}$. So triangle CHE is a right triangle.</p> <p>3 Solve $EC = CD + ED$ $\approx 3397 + 25 = 3422 \text{ km}$ $EC^2 \approx EH^2 + CH^2$ $3422^2 \approx EH^2 + 3397^2$ $170,475 \approx EH^2$ $413 \text{ km} \approx EH$</p> <p>4 Look Back The problem asks for the distance to the nearest km. Check that the answer is reasonable by using the Pythagorean Thm. Is $413^2 + 3397^2 \approx 3422^2$? Yes, $11,710,178 \approx 11,710,084$.</p>  |
| 16. | 32 | <p>By Thm. 11-1-3, $AB = AC$ $2x^2 = 8x$ Since $x \neq 0$, $2x = 8$ $x = 4$ $AB = 2(4)^2 = 32$</p> |
| 17. | 7 | <p>By Thm. 11-1-3, $RS = RT$ $y = \frac{y^2}{7}$ $7y = y^2$ Since $y \neq 0$, $7 = y$ $RT = \frac{(7)^2}{7} = 7$</p> |
| 20. | N | N |

| Question | Answer | Solution |
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| 26. | 138° | <p>By 2 segs. tangent to \odot from same ext. pt. \rightarrow segs. \cong; a line tangent to $\odot \rightarrow$ line \perp to radius, the definition of a circle, and SAS, $\triangle PQR \cong \triangle PQS$; so PQ bisects $\angle RPS$. Therefore, $m\angle QPR = \frac{1}{2}(42) = 21^\circ$.</p> <p>By a line tangent to $\odot \rightarrow$ line \perp to radius, $\triangle PQR$ is a right \triangle. By the Sum,</p> $m\angle PQR + m\angle PRQ + m\angle QPR = 180$ $m\angle PQR + 90 + 21 = 180$ $m\angle PQR = 180 - (90 + 21) = 69^\circ$ $m\angle PQS = 2m\angle PQR = 2(69) = 138^\circ$ |